

# COP 4710: Database Systems Fall 2013

## Chapter 4 – In Class Exercises (Part 2)

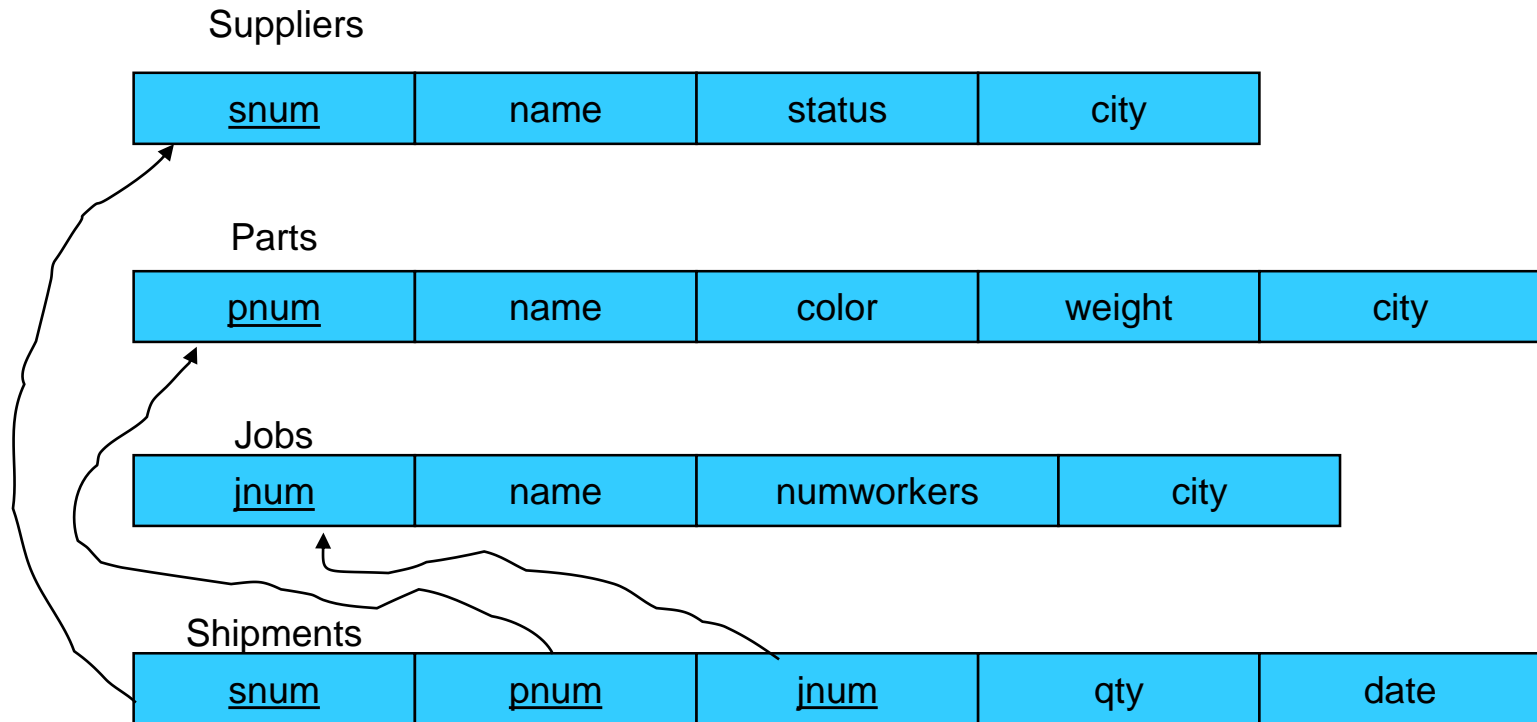
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# Chapter 4 In Class Exercises – Part 2

- Use the following database scheme for the problems in this exercise.



- Develop relational algebra query expressions, using any of the relational operators we've covered, for each of the following queries:



1. List only the names of those suppliers who ship every blue part. (Using only the five fundamental operators.)

### Solutions

To shorten the expressions let:

S = Suppliers, P = Parts, SPJ = Shipments

Let  $T = \pi_{(pnum)}(\sigma_{(color=blue)}(P))$  // all blue parts

Let  $U = \pi_{(snum,pnum)}(SPJ)$  // vertical restriction on shipments

Let  $A = \{snum,pnum\}$  and  $B = \{pnum\}$

$result = \pi_{(A-B)}(U) - (\pi_{(A-B)}((\pi_{(A-B)}(U) \times T) - U))$

– or –

$result = \pi_{(snum)}(SPJ) - (\pi_{(snum)}((\pi_{(snum)}(SPJ) \times (\pi_{(pnum)}(\sigma_{(color=blue)}(P)) - (\pi_{(snum,pnum)}(SPJ))))))$

$final\ result = \pi_{(name)}(\sigma_{(S.snum=result.snum)}(S \times result))$



2. List only the names of those suppliers who ship every blue part. (Using the redundant division operator.)

$$\pi_{(name)} \left( S * \left( \left( \pi_{(snum, pnum)} (SPJ) \right) \div \left( \pi_{(pnum)} \left( \sigma_{(color=blue)} (P) \right) \right) \right) \right)$$

3. List every supplier number for those suppliers that ship both part P2 and part P3.

$$\pi_{(snum)} \left( \sigma_{(pnum='P2' \text{ AND } pnum='P3')} (\text{Shipments}) \right)$$

What's wrong with this solution?????

A correct solution....

$$\left( \pi_{(snum)} \left( \sigma_{(pnum=P2)} (\text{Shipments}) \right) \right) \cap \pi_{(snum)} \left( \sigma_{(pnum=P3)} (\text{Shipments}) \right)$$



4. List the part numbers shipped by a supplier located in Orlando.

$$\pi_{(pnum)} \left( \left( \pi_{(snum)} \left( \sigma_{(city=Orlando)} (Suppliers) \right) \right) * Shipments \right)$$

5. List the part numbers shipped to every job.

$$\left( \pi_{p\#,j\#} (SPJ) \right) \div \left( \pi_{j\#} (J) \right)$$

6. List the part numbers shipped to every job in the same quantity.


$$\left( \pi_{p\#,quantity,j\#} (SPJ) \right) \div \left( \pi_{j\#} (J) \right)$$



7. List the supplier numbers for those suppliers who ship every part to any job.

$$\left( \pi_{snum, pnum} (SPJ) \right) \div \left( \pi_{pnum} (P) \right)$$

Why is this one wrong?


$$\left( \pi_{snum, pnum} (SPJ) \right) \div \left( \pi_{pnum} (SPJ) \right)$$

The query it answers is: list the supplier numbers for those suppliers who ship every part that is shipped to a job.

8. List the part numbers for those parts that are not shipped to any job.

$$\left( \pi_{p\#} (P) \right) - \left( \pi_{p\#} (SPJ) \right)$$



## Tuple Calculus Practice

9. List the part numbers shipped by a supplier located in Orlando. (Same query as #4.)

$$\{spjx.snum \mid spjx \in S \text{ and } \exists sx (sx.city = \text{"Orlando"} \text{ and } sx.snum = spjx.snum)\}$$

10. List the part numbers shipped to every job. (Same query as #5.)

$$\{spjx.pnum \mid spjx \in SPJ \text{ and } \forall jx \in J (\exists spjy \in SPJ (spjy.jnum = jx.jnum \text{ and } spjy.pnum = spjx.pnum))\}$$

or -

$$\{spjx.pnum \mid spjx \in SPJ \text{ and } \text{not } \exists jx \in J (\text{not } \exists spjy \in SPJ (spjy.jnum \neq jx.jnum \text{ and } spjy.pnum \neq spjx.pnum))\}$$

